CHAPTER

3

Database Design

Objectives

- To use ER modeling to model data.
- To identify entities and their relationships.
- To describe entities using attributes, multivalued attributes, derived attributes, and key attributes.
- To know the difference between strong entities and weak entities.
- To use EER to model inheritance relationships.
- To become familiar with graphical notations in ER and EER.
- To learn how to translate ER/EER into relation schemas.
- To understand functional dependencies and use normal forms to further reduce redundancy.

3.1 Introduction

Before you can store data into the database, you have to define tables. How tables are defined will impact the database quality. For example, suppose the <u>Department</u> table is defined as shown in Figure 3.1, obviously the table stores the college information redundantly. Redundancy causes many problems. First, it takes additional space to store redundant data. Second, it slows down the update operation. For example, if the <u>deanId</u> for the Science college is changed, the DBMS has to exhaustively search for all the records to change the <u>deanId</u> for the <u>Science</u> college. Third, if the special education department is deleted, the information on the Education college is deleted too since the information on Education college appears only in one record. The root cause of all these problems is that the two entities Department and College are mixed into one table. This problem can be avoided if the table is derived from a sound database design methodology.

deptId	name	headId	collegeId	name	since	deanId
CS MATH CHEM SPED	Computer Science Mathematics Chemistry Special Education	111221116 111225555	SC SC	Science Science Science Education	1-AUG-1930 1-AUG-1930 1-AUG-1930 1-AUG-1935	999001111 999001111 999001111 888001111

Figure 3.1

The department and college information are mixed into one table.

A proven sound methodology for database design is the Entity-Relationship (ER) modeling, which was first proposed by Peter Chen in his 1976 paper "Entity-Relationship Model: Toward a Unified View of Data." This modeling approach has been widely used for designing logical database schemas. The first step to design a database is to understand the system, know how the system works, and discover what data is needed to support the system, then obtain an ER model and translate the model into the relation schemas, and finally improve the relation schemas using normal forms, as shown in Figure 3.2.

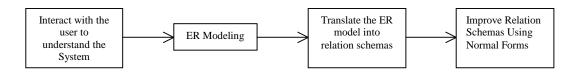


Figure 3.2

An ER diagram can be used to design logical database schemas.

3.2 Entity-Relationship Modeling

An *ER model* is a high-level description of the data and the relationships among the data, rather than how data is stored. It focuses on identifying the entities and the relationship among the entities.

3.2.1 Entities and Attributes

An *entity* is a distinguishable object in the enterprise. An entity has attributes that describe the properties of the entity. For example, a course is an object in the student information system. The course subject, number, name, number of credit hours, and prerequisites are the attributes for the course. All the courses have same type of attributes. A collection of entities of the same attributes is called an entity set. An *entity class* (or type) defines an entity set. An entity class is like a Java class except it does not have methods. An entity is also known as an *entity instance* of its entity class.

3.2.1.1 Key Attributes

Since each entity is distinct, no two entities can have the same values on the attributes. Each entity class has an attribute or a set of attributes that can be used to uniquely identify the entities. In case there are several keys in the entity class, you can designate one as the *primary key*. For example, you can designate the course title to be the key, assume that every course has a different title.

3.2.1.2 Composite Attributes

A composite attribute is an attribute that is composed of two or more sub-attributes. For example, the <u>Student</u> entity class has the <u>address</u> attribute that consists of <u>street</u>, city, state, and zipcode.

3.2.1.3 Multivalued Attributes

A *multivalued* attribute is an attribute that may consist of a set of values. For example, the <u>Course</u> entity class has the <u>prerequisites</u> attribute. A course may have several prerequisites. Therefore, the prerequisites attribute is a multivalued attribute.

3.2.1.4 Derived Attributes

A *derived* attribute is an attribute that can be derived or calculated from the database. A derived attribute should not be stored in the database. For example, you may add an attribute named <u>numOfPrerequisites</u> to the <u>Course</u> entity class. This attribute can be calculated from the prerequisites attribute.

3.2.2 ER Diagrams

ER modeling can be described using diagrams. Diagrams make the ER models easy to understand and simple to explain. Figure 3.3 shows an ER diagram for the <u>Course</u> entity class and its attributes. An entity class is represented by a rectangle, an attribute by oval, multivalued attribute by an oval of double borders, and derived attribute by dashed oval. The primary key attribute(s) are underlined. Figure 3.4 shows an ER diagram for the Student entity class, where address is a composite attribute.

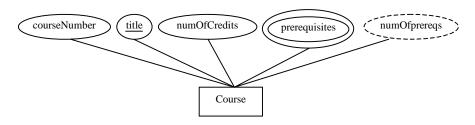


Figure 3.3

An ER diagram is used to describe the <u>Course</u> entity class and its attributes.

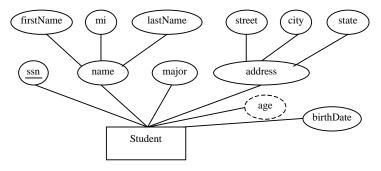


Figure 3.4

An ER diagram is used to describe the <u>Student</u> entity class and its attributes.

3.2.2 Relationships and Relationship Classes

An ER model discovers entities and identifies the relationship among the entities. A relationship between two entities represents some association between them. For example, a student taking a course represents an enrollment relationship between the student and the course. A collection of same type of relationships forms a relationship set. A relationship class (or type) defines a relationship set. A relationship is also known as a relationship instance of its relationship class.

To identify relationships in the enterprise, watch for verbs

in the phrases. For example, the verbs "works" in the phrase "a faculty works in department" implies an employment relationship between a faculty and a department. The entities are identified from the nouns.

Relationships can have attributes just like the entities. For example, the enrollment relationship may have an attribute to record when a student is registered for the course.

3.2.2.1 Cardinality Constraints on Relationships

A relationship class establishes the relationships between the entities in the entity classes. An entity in one entity class may be associated with one or more entities in the other entity class. A *cardinality constraint* on a relationship class puts restrictions on the number of relationships in which an entity may participate. There are four basic types of constraints:

One-to-one: An entity in either entity class may participate in at most one relationship. For example, a computer user account is assigned to one user and a user can have only one account. So, the relationship between <u>User</u> and <u>Account</u> is one-to-one, as shown in Figure 3.5. The marriage relationship is one-to-one too.

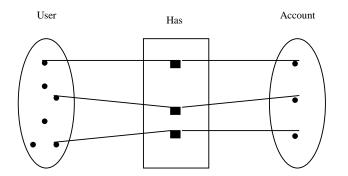


Figure 3.5

The relationship between User and Account is one-to-one.

One-to-many: An entity in the first entity class may participate in many relationships, but the entity in the second class may participate in at most one. For example, the relationship between Department and Faculty is one-tomany, because one department may have many faculty and a faculty can be in only one department. Figure 3.6 illustrates the constraint.

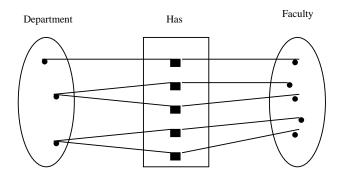


Figure 3.6

The relationship between <u>Department</u> and <u>Faculty</u> is one-tomany.

Many-to-one: The same as one-to-many, but the entity sets are reversed.

Many-to-many: An entity in both entity sets may participate in many relationships. For example, a student can take many courses, and a course can be taken by many students. Figure 3.7 illustrates such constraint.

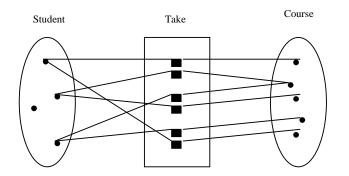


Figure 3.7

The relationship between Student and Course is many-to-many.

3.2.2.2 Participation Constraints

The participation constraint specifies whether every entity in an entity class participates in a relationship. If so, it is called a *total participation*, otherwise it is called a *partial participation*. For example, the participation of Faculty in the employment relationship with Department is total, because every faculty in the Faculty entity class must work for a department. The participation of <u>Student</u> in the enrollment relationship with <u>Course</u> may be partial, because not every student takes a course. A student may take a semester off.

Figure 3.8 shows an ER diagram that describes the relationships among <u>Student</u>, <u>Course</u> and <u>Subject</u>. A relationship class is represented using a diamond. The constraints on the relationships are denoted using 1 for one and *m* for many. A total participation is denoted using double lines.

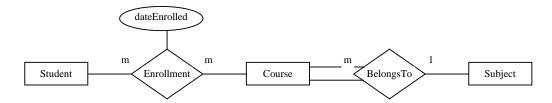


Figure 3.8

An ER diagram is used to describe the relationships.

3.2.2.3 Ternary or n-ary Relationships

The relationships discussed in the preceding sections are binary relationship between two entity classes. It is possible that a relationship may involve three or more entity classes. For example, "a company provides a product for a project" involves three entities <u>Company</u>, <u>Product</u> and <u>Project</u>, as shown in Figure 3.9. A company may provide many products to many projects. A product may be provided by many companies for many projects. A project may use many products from many companies.

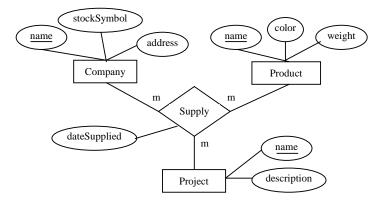


Figure 3.9

An ER diagram can be used to describe a ternary relationship.

"A company provides a product for a project" is a true ternary relationship, because Company, Product and Project are all associated together and cannot be separated. Some ternary relationships may be false and should be actually represented using binary relationships. For example, "A student takes a course taught by a faculty" could be erroneously represented using a ternary relationship involving Student, Course and Faculty. This is wrong because a student and a faculty are not directly associated. The sentence "A student takes a course taught by a faculty" is equivalent to "A student takes a course and a course is taught by a faculty."

3.2.3 Weak Entities and Identifying Relationship Classes

An entity is called a *weak entity* if its existence is dependent on other entities. The other entities are called *owner entities*. In contrast, a regular entity is called a *strong entity*. For example, a faculty has dependents. Dependent is a weak entity class that is dependent on its owner entity class <u>Faculty</u>. A relationship between <u>Faculty</u> and <u>Dependent</u> is called an *identifying relationship* for the weak entity. Figure 3.10 shows an ER diagram that describes <u>Faculty</u> and <u>Dependent</u> and their relationship. A weak entity class is represented by a rectangle of double borders and a diamond of double borders represents its identifying relationship class. Since every weak entity must be associated with a strong entity, the weak entity class is a total participation of the relationship.

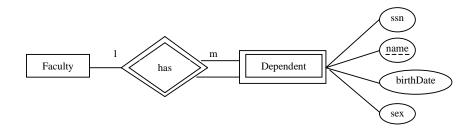


Figure 3.10

Dependent is a weak entity that is dependent on Faculty.

A weak entity cannot have a key. If an entity has a key, it must be classified as a strong entity set. Suppose Dependent has the attributes <u>ssn</u>, <u>name</u>, <u>birthDate</u>, and <u>sex</u>. If each dependent has a SSN, <u>ssn</u> can be used as the key for the <u>Dependent</u> class. In this case, <u>Dependent</u> becomes a strong entity. It is possible that a dependent may not have a SSN. For example, a newborn may not have a SSN. In this case, <u>Dependent</u> does not have a key, because two dependents may have the same value on name, birthDate, and sex. <u>Dependent</u> has no keys and is a weak entity class. Though <u>Dependent</u> does not have a key, each dependent is distinct and can be identified through its identifying relationship with its owner entities. The key in the <u>Faculty</u> class along with the <u>name</u> attribute in the <u>Dependent</u> class can form a key to uniquely identify dependents. The <u>name</u> attribute is referred to as a *partial key*. In the ER diagram, a partial key is underlined by a dashed line, as shown in Figure 3.10.

3.2.4 ER Diagram for a Student Information System

Now you can use the ER diagram to describe a student information system as shown in Figure 3.11. Figure 3.12 summarizes the graphical notations for ER diagrams. Figure 3.11 describes the strong entity classes <u>Student</u>, <u>Course</u>, <u>Subject</u>, <u>Department</u>, <u>College</u>, and <u>Faculty</u>, and the weak entity classes <u>Transcript</u> and <u>Dependent</u>, and the relationships among these entities classes. The ER diagram is self-describing and easy to understand. The ER diagram describes a hypothetical student information system and it is not intended to give a complete description of the system. The book will use this database in the examples.

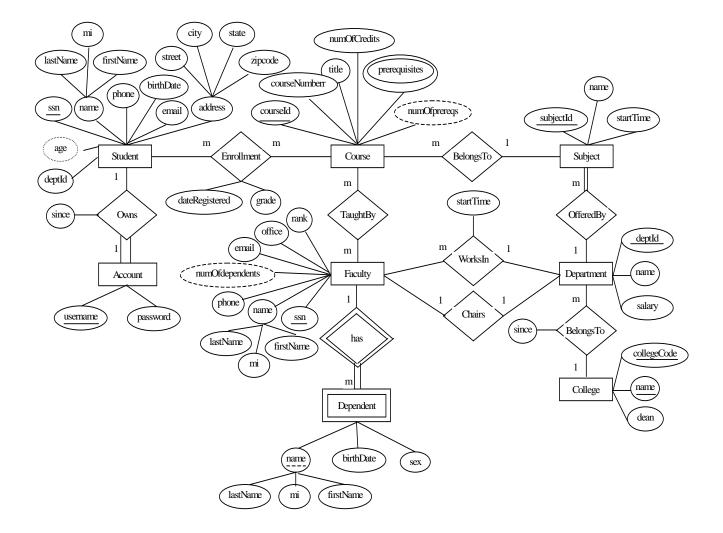


Figure 3.11

A student information system is represented using an ER diagram.

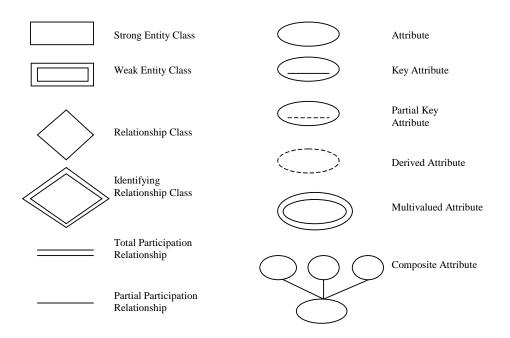


Figure 3.12

An ER diagram uses graphical notations to describe entities, attributes, and relationships.

NOTE: The ER model is not unique. There are many ways to design an ER model. For example, you may consider registration as a weak entity set. So the relationship among <u>Student</u>, <u>Registration</u>, and Course can be drawn as shown in Figure 3.13.

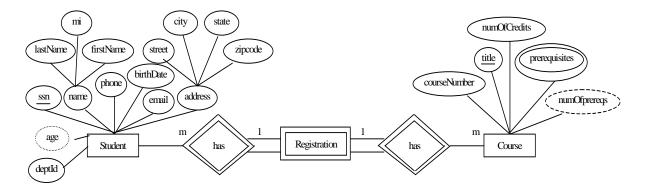


Figure 3.13

<u>Student</u> and <u>Course</u> can alternatively be described through the Registration weak entity class.

3.3 Translating ER Models to Relation Schemas

Once an ER model is created, you can translate it into relation schemas. This section uses the student information system to demonstrate the translation guidelines.

3.3.1 Translating Strong Entity Classes

For each strong entity class in the ER diagram, create a relation schema. Choose the primary key of the entity class as the primary key of the relation. The attributes are translated in the following sections.

3.3.2 Translating Simple Attributes

For each simple attribute, create a field in the relation. For example, to translate simple attributes <u>ssn</u>, <u>phone</u>, <u>birthdate</u>, and <u>email</u> in the <u>Student</u> entity class, create fields <u>ssn</u>, <u>phone</u>, <u>birthdate</u> and <u>email</u> in the <u>Student</u> table. You may argue that <u>birthdate</u> is a composite attribute because it consists of day, month and year. However, it is a bad idea to separate them. SQL has a <u>time</u> type (equivalent to Oracle's <u>date</u> type) that can be used to represent date and time. You can extract day, month and year from a <u>time</u> or date type value.

3.3.3 Translating Composite Attributes

For each composite attribute, create a field for each simple attribute in the composite attribute. For example, to translate the composite attribute <u>name</u> in the <u>Student</u> entity class, create fields <u>lastName</u>, <u>mi</u>, and <u>firstName</u> in the <u>Student</u> table. The <u>Student</u> entity class can be translated as follows:

Student(ssn, lastName, mi, firstName, phone, email, birthDate, street, city, state, zipcode)

3.3.4 Translating One-to-Many Relationships

For each one-to-many relationship type between entity classes <u>S</u> and <u>T</u>, select one whose cardinality is many, say <u>T</u>, as target. Add the primary key attributes of <u>S</u> (whose cardinality is 1) to <u>T</u> as a foreign key. Add the simple and composite attributes of the relationship class into <u>T</u>. For example, <u>WorksIn</u> is a one-to-many relationship between <u>Department</u> and <u>Faculty</u>. To translate it, add the primary key attributes in the Department table to the Faculty table as a foreign key. Add the <u>startTime</u> attribute in the <u>WorksIn</u> relationship class to the <u>Faculty</u> table. The <u>Faculty</u> schema is as follows:

Faculty(<u>ssn</u>, lastName, mi, firstName, phone, email, office, rank, deptId, startTime)

You might wonder why it is a good guideline to add the primary key of <u>S</u> and the attributes of the relationship class to <u>T</u>. The answer is that this reduces redundancy. If you add the primary key of <u>T</u> and the attributes of the relationship class to <u>S</u>, there would be more redundancy in <u>S</u>. For example, suppose you add the primary key of <u>Faculty</u> and <u>startTime</u> to <u>Department</u>, a sample <u>Department</u> table is shown in Figure 3.14. In this <u>Department</u> table, for every CS faculty, the CS department information is stored. This is obviously redundant.

A Department Table with Redundancy

deptId	name	headId	collegeId	facultySsn	startTime
CS	Computer Science	111221115	SC	111221111	12-OCT-86
CS	Computer Science	111221115	SC	111221115	01-JAN-00
CS	Computer Science	111221115	SC	111221119	01-JAN-94
MATH	Mathematics	111221116	SC	111221110	11-OCT-76
MATH	Mathematics	111221116	SC	111221112	13-AUG-76
MATH	Mathematics	111221116	SC	111221116	13-AUG-76
MATH	Mathematics	111221116	SC	111221112	01-JAN-00

Figure 3.14

Department information is stored redundantly in the Department table.

3.3.4 Translating One-to-One Relationships

For each one-to-one relationship type between entity classes \underline{S} and \underline{T} , select one with less non-participating entities, as \underline{T} , as the *target*. Add the primary key of \underline{S} to \underline{T} as a foreign key and add the simple and composite attributes of the relationship into \underline{T} . For example, <u>Owns</u> is a one-to-one relationship between <u>Student</u> and <u>Account</u>. Since every account belongs to a student, you should select <u>Account</u> as the target. Add the primary key of <u>Student</u> to <u>Account</u> as a foreign key and add the <u>since</u> attribute to the Account relation. The Account schema is as follows:

Account(<u>username</u>, password, ssn, since)

So why is it a good guideline to select the entity class with less non-participating entities as the target? To answer the question, consider selecting <u>Student</u> as the target for translating the <u>Owns</u> relationship. Add the primary key <u>username</u> of the <u>Account</u> and the attribute <u>since</u> of the <u>Owns</u> relationship to the <u>Student</u> table. Figure 3.15 shows a sample new Student table. Clearly, the new Student table has many null values because not every student owns an account. If you follow the guideline to translate the relationship, you can avoid having too many null values.

A Student Table with Many null values

ssn	firstName	mi	lastName	username	since
444111110	Jacob	R	Smith	jsmith	9-APR-1985
444111111	John	K	Stevenson	null	null
444111112	George	R	Heintz	gheintz	1-SEP-1986
444111113	Frank	Е	Jones	null	null
444111114	Jean	K	Smith	null	null
444111115	Josh	R	Woo	null	null

Figure 3.15

The Student table contains many null values.

3.3.5 Translating Many-to-Many Relationships

For each many-to-many relationship type <u>R</u> between entity classes <u>S</u> and <u>T</u>, create a new relation schema named <u>R</u>. Let <u>S(k)</u> and <u>T(k)</u> denote the primary keys in <u>S</u> and <u>T</u>, respectively. Add <u>S(k)</u> and <u>T(k)</u> into <u>R</u> and add the simple and composite attributes of the relationship class into <u>R</u>. The combination of <u>S(k)</u> and <u>T(k)</u> is the primary key in <u>R</u>. Both <u>S(k)</u> and <u>T(k)</u> are the foreign keys in <u>R</u>. For example, <u>Enrollment</u> is a many-to-many relationship between <u>Student</u> and <u>Course</u>. Create a new relation named Enrollment whose attributes include the keys from <u>Student</u> and <u>Course</u> and the attributes <u>dateRegistered</u> and <u>grade</u>. The <u>Enrollment</u> schema is as follows:

Enrollment(ssn, courseId, dateRegistered, grade)

3.3.6 Translating n-ary Relationships

For each n-ary relationship for n > 2, create a new relation schema. Add the primary key of each participating entity class into the relation schema as foreign keys. The combination of all these foreign keys forms the primary key in the new relation. Add all simple and composite attributes of the n-ary relationship class into the new relation. For example, the ternary relationship in Figure 3.9 can be translated into the following schema:

3.3.7 Translating Weak Entity Classes

For each weak entity class \underline{W} , create a new relation schema named \underline{W} . Add the primary key of its owner entity class into \underline{W} as a foreign key and add all simple and composite attributes of W into the relation. The primary key of the relation is the combination of the primary key from its owner relation and the partial key, if any. For example, <u>Dependent</u> is a weak entity class and its owner class is Faculty. So Dependent can be translated as follows:

Dependent(<u>ssn</u>, <u>lastName</u>, <u>mi</u>, <u>firstName</u>, sex, birthDate)

3.3.8 Translating Multivalued Attributes

For each multivalued attribute, create a new relation schema. Let R be the relation schema that represents the entity class or relationship class that contains the multivalued attribute. Add the multivalued attribute into the schema and add the primary key attributes of R. The combination of all attributes forms the primary key of the new relation. For example, to translate the multivalued attribute <u>prerequisites</u> in <u>Course</u>, create a new relation schema named Prerequisite as follows:

Prerequisite(courseId, prerequisiteCourseId)

3.4 Enhanced Entity-Relationship Modeling

The ER modeling presented in the preceding section is sufficient to model simple data relationships. A large database system may contain many entity classes and an entity may belong to several entity classes or share properties with entities from different classes. These relationships correspond to class inheritance in the objectoriented programming. To accurately represent these relationships, an extension of ER modeling, called *Enhanced ER modeling (EER)*, was introduced.

3.4.1 Representing Inheritance Relationships

Inheritance models the *is-a* relationship between two entity classes. "An entity class A is a special case of an entity class B" establishes an is-a relationship. A is called a subclass and B is called a superclass. There are two ways to discover inheritance relationships-specialization and generalization. Specialization is the process of defining a set of subclasses for a superclass. Generalization is the process of recognizing two or more classes have common features so that you can generalize these classes to create a superclass.

For example, a faculty may be part-time or full-time, so you can define two subclasses <u>PartTimeFaculty</u> and <u>FullTimeFaculty</u>. You could use the ER diagram in Figure 3.16 to represent their relationships.



Figure 3.16

<u>PartTimeFaculty</u> and <u>FullTimeFaculty</u> are special cases of Faculty.

The problem with the ER diagram in Figure 3.16 is that it does not describe the relationships between <u>PartTimeFaculty</u> and <u>FullTimeFaculty</u>. They are both subclasses of <u>Faculty</u>. A faculty can belong to only one subclass, either full-time or part-time, cannot be both. A more appropriate notation is shown in Figure 3.17, where <u>PartTimeFaculty</u> and <u>FullTimeFaculty</u> are connected through a circle. The letter d inside the circle denotes the subclasses are disjoint. A cup sign facing the superclass is used to represent inheritance.

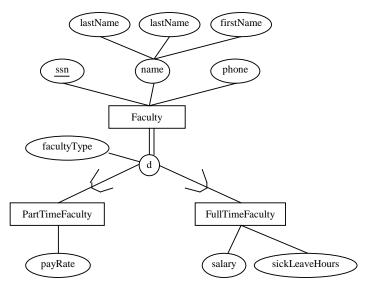


Figure 3.17

<u>PartTimeFaculty</u> and <u>FullTimeFaculty</u> are disjoint subclasses of Faculty.

The Faculty superclass may use an attribute <u>facultyType</u> to determine whether a faculty is a part-time faculty or a full-time faculty. Such an attribute is referred as a

defining attribute.

The double-line connecting between <u>Faculty</u> and the circle implies total participation by <u>Faculty</u>. Each faculty must be either part-time or full-time. It is possible for a partial participation to exist in the inheritance relationship, which allows an entity not to belong to any subclasses. For example, an instructor may be neither full-time faculty nor part-time faculty as shown in Figure 3.18.

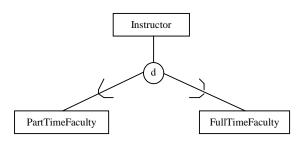


Figure 3.18

<u>PartTimeFaculty</u> and <u>FullTimeFaculty</u> are instructors, but an instructor may be neither part-time faculty nor full-time faculty.

3.4.2 Representing Overlapping Relationships

If the subclasses are not constraint to be disjoint, their sets of entities may overlap. For example, you may consider an honors course and a distance-learning course as subclasses of <u>Course</u>. An honors course may be a distancelearning course too, so the <u>HonorCourse</u> and <u>DistanceLearningCourse</u> classes may overlap. To denote overlapping relationship, put the letter o inside the circle, as shown in Figure 3.19.

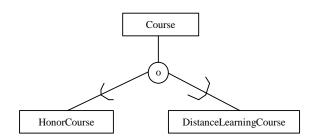


Figure 3.19

HonorCourse and DistanceLearningCourse are special cases of Course, but they may overlap.

3.4.3 Representing Multiple Specialization Hierarchies

An entity may belong to more than one specialization hierarchies. For example, if you wish to further classify faculty by their ranks and by their administrative functions, you could define <u>AssistantProf</u>, <u>AssociateProf</u>, and <u>FullProf</u>, and <u>DepartmentChair</u>, as shown in Figure 3.20.

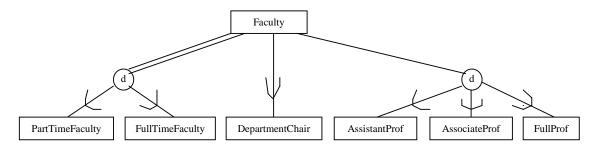


Figure 3.20

An entity class may have multiple specializations.

CAUTION: A common mistake is to over-specialize classes. When defining subclasses, check if a subclass has distinctive attributes that are not shared by other classes. In Figure 3.20, <u>AssistantProf</u>, <u>AssociateProf</u>, and <u>FullProf</u> don't have their own distinctive attributes. You could simply add a rank attribute in the Faculty class to describe a faculty's rank.

3.4.4 Representing Multiple Inheritance

Multiple inheritance means that a subclass may be derived from two or more superclasses. Multiple inheritance can be described in EER. For example, a department chair is both a faculty and an administrator, as shown in Figure 3.21.

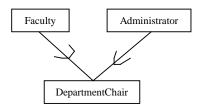


Figure 3.21

DepartmentChair is both a faculty and an administrator.

3.4.5 Translating Inheritance Relationships into Relation Schemas

There are three options for translating inheritance relationships to relation schemas.

Option 1: For each superclass \underline{P} , create a relation schema named \underline{P} and add all its simple and composite attributes to the schema. For each specialization of \underline{P} that has a defining attribute, add that attribute to the relation schema. For each subclass of \underline{P} , create a relation schema, add the primary key of \underline{P} into this new relation as a foreign key. In the case, the subclasss has multiple superclasses, declare the primary key of the subclass to be the combination of all the foreign keys. For example, the EER diagram in Figure 3.18 can be translated into the following three relation schemas:

Faculty(<u>ssn</u>, lastName, mi, firstName, phone, facultyType)
PartTimeFaculty(<u>ssn</u>, payRate)
FullTimeFaculty(<u>ssn</u>, salary, sickLeaveHours)

Option 2: For each superclass \underline{P} , create a relation schema named \underline{P} and add all its simple and composite attributes to the schema. For each specialization of \underline{P} that has a defining attribute, add that attribute to the relation schema. For each subclass of \underline{P} , add its simple and composite attributes to \underline{P} . For example, the EER diagram in Figure 3.18 can be translated into the following relation schema:

Faculty(ssn, lastName, mi, firstName, phone, facultyType, payRate, salary, sickLeaveHours)

The drawback of this option is <u>null</u> values on <u>payRate</u> for full-time faculty and <u>null</u> values on <u>salary</u> and <u>sickLeaveHours</u> on full-time faculty. The advantage is no join operation is needed to obtain information pertaining to part-time or full-time faculty.

This option is not suitable for multiple inheritance where a subclass has multiple superclasses.

Option 3: For each subclass \underline{S} , create a relation schema named \underline{S} . Add all simple and composite attributes of the subclass and its superclass to the schema. The primary key of the new schema is the combination of all keys from the superclasses in case of multiple inheritance. For example, the EER diagram in Figure 3.18 can be translated into the following relation schema:

PartTimeFaculty(ssn, lastName, mi, firstName, phone, payRate)
FullTimeFaculty(ssn, lastName, mi, firstName, phone,
salary, sickLeaveHours)

This option is not suitable for overlapping specialization, because it would cause redundancy. For example, if this option is used to translate the EER in Figure 3.19, a course may be stored in both <u>HonorCourse</u> and <u>DistanceLearningCourse</u> relations.

3.5 Normalization

Figure 3.1 illustrated the redundancy problem in the <u>Department</u> table. Using the ER modeling, this problem cannot happen because <u>Department</u> and <u>College</u> are two entity classes and they are translated into two tables. ER modeling can fix many problems like the one demonstrated in Figure 3.1, but redundancy may still exist in the tables translated from the ER diagrams. For example, the <u>Student</u> table shown in Figure 3.22 stores the city and state information redundantly for the same zipcode.

Student Table

ssn	lastName	mi	firstName	phone	email	birthDate	street	city	state	zipcode
314111111	Smith		John		jks@acm.org		100 Main	Savannah		
314111112 314111113	Carter Jones		Jim Tim		jgc@acm.org tkj@acm.org		8 Hunters 10 River St.	Savannah Savannah		
	Frank		Tom		tzf@acm.org			Savannah		
314111115	Frew	Р	Kathy	9125441115	kpf@acm.org	//19//8	I Moon St.	Savannah	GA	31411

Figure 3.22

The <u>Student</u> table stores city and state redundantly for the same <u>zipcode</u>.

This section introduces normalization—a process that decomposes the relations with redundancy into the smaller relations that satisfy certain properties. These properties are characterized into normal forms. A relation is said to be in a normal form if it satisfies the properties defined by the normal form. Four commonly used normal forms are introduced in this section: first normal form (1NF), second normal form (2NF), third normal form (3NF), and Boyce-Codd normal form (BCNF). Each normal form ensures that a relation has certain quality characteristics. Normal forms are defined using functional dependencies. The following section introduces functional dependencies.

3.5.1 Functional Dependencies

The problem in the <u>Student</u> table in Figure 3.22 is that city and state are determined by zipcode. This can be characterized using function dependencies.

A set of attributes \underline{Y} is functionally dependent on a set of attributes \underline{X} if the value of \underline{X} uniquely determines the value of \underline{Y} . In other words, for any two tuples in \underline{R} , if their \underline{X} values are the same, then their \underline{Y} values must be same. \underline{X} is called a *determinant*. Equivalently, you can also say that \underline{X} functionally determines \underline{Y} . This functional dependency can be described in the following expression:

$x \rightarrow y$

So the relationship among city, state, and zipcode is zipcode \rightarrow city state since for every two tuples with the same zipcode, their city and state values are the same.

NOTE: A functional dependency in a relation must be valid for all the instances of the relation at any time. Once a functional dependency is specified, you need to make sure that the dependency is not violated at any time. The DBMS can enforce the primary key, foreign key and domain constraints, but it cannot enforce functional constraints. You can write the triggers to enforce functional dependencies. Triggers will be introduced in Appendix G, "Database Triggers."

3.5.1.1 Inference Rules

Given a set of functional dependencies, you can derive new functional dependencies using the following inference rules:

Reflexivity Rule: If $X \supseteq Y$, then $X \rightarrow Y$. Augmentation Rule: If $X \rightarrow Y$, then $XZ \rightarrow YZ$. Union Rule: If $X \rightarrow Y$ and $X \rightarrow Z$, then $X \rightarrow YZ$. Decomposition Rule: If $X \rightarrow YZ$, then $X \rightarrow Y$ and $X \rightarrow Z$. Transitivity Rule: If $X \rightarrow Y$ and $Y \rightarrow Z$, then $X \rightarrow Z$. Pseudo-transitivity Rule: If $X \rightarrow Y$ and $Y \rightarrow Z$, then $XX \rightarrow Z$.

These rules are intuitive and easy to prove. Here are the examples to prove the reflexivity rule and the pseudo-transitivity rule. For any two tuples <u>t1</u> and <u>t2</u>, if <u>t1[X]</u> = <u>t2[X]</u>, then t1[Y] = t2[Y] since <u>Y</u> is a subset of <u>X</u>. Therefore, $\underline{X \rightarrow Y}$.

To prove the union rule, consider two tuples $\underline{t1}$ and $\underline{t2}$ with $\underline{t1[X] = t2[X]}$. Since $X \rightarrow Y$, t1[Y] = t2[Y]. Since $X \rightarrow Z$, t1[Z] = t2[Z]. Therefore, t1[YZ] = t2[YZ].

To prove the pseudo-transitivity rule, consider two tuples <u>t1</u> and <u>t2</u> with <u>t1[X] = t2[X]</u>. Since $X \rightarrow Y$, WX \rightarrow WY (by the augmentation rule). Since WX \rightarrow WY and WY \rightarrow Z, WX \rightarrow Z (by the transitivity rule).

3.5.1.2 Minimum Covers

There are many functional dependencies in a relation. For example, in the <u>Student</u> table in Figure 3.22, you may identify the following functional dependencies:

```
ssn → lastName, mi, firstName
ssn → zipCode
ssn → phone, email
ssn → birthDate
ssn → street
ssn → city, state
ssn → ssn
lastName → lastName
```

Some of the functional dependencies such as ssn \rightarrow ssn and lastName \rightarrow lastName are trivial and some can be derived from the others using the inference rules. A functional dependency X \rightarrow Y is *trivial* if both sides contain common attributes.

A minimum cover is a set of functional dependencies \underline{F} that satisfies the following conditions:

- Every dependency has a single attribute for its righthand side.
- For every dependency $X \rightarrow A$, there is no dependency $Y \rightarrow A$ for $Y \subset X$.
- No dependency in F can be derived from the other dependencies in F.

For example, the following is the minimum cover for the Student table.

```
ssn → lastName
ssn → mi
ssn → firstName
ssn → phone
ssn → email
ssn → zipCode
ssn → birthDate
ssn → street
zipCode → city
zipCode → state
```

3.5.1.3 Finding keys Using Functional Dependencies

Typically, database designers first identify a set of functional dependencies from the semantics of the attributes

in a relation. Additional functional dependencies can be derived using the inference rules.

You can now define superkey and candidate keys using the functional dependencies. A *superkey* is a set of attributes that determines all attributes in the relation. A *candidate* key is a superkey such that no proper subset of it is another superkey. An attribute is called a *key attribute* if it belongs to a candidate key.

A set of attributes, X, may determine many attributes in a relation. The closure of a set of attributes denoted by X^+ is the set of the attributes determined by X. If X is a superkey, then X+ consists of all attributes in the relation.

You can use the inference rules to find all candidate keys in a relation. For example, Let R be a relation schema with attributes A, B, C, D, E, F, and G and $\{A \rightarrow CD, B \rightarrow EF, E \rightarrow G\}$ is a set of functional dependencies in R. To find a candidate key is to find a minimum set of attributes, K, such that K \rightarrow R. You only need to consider the attributes on the left side of the functional dependency expression, because only these attributes can be key attributes. Here is the process of identifying the candidate keys.

Consider attribute A, A \rightarrow ACD. Consider attribute B, B \rightarrow BEFG. Consider attribute E, E \rightarrow EG. Consider combining A and B, AB \rightarrow ABCDEFG. Therefore, AB is a candidate key. Consider combining A and E, AE \rightarrow ACDEG. Consider combining B and E, BE \rightarrow BEFG.

Based on the preceding process, AB is the only candidate key.

3.5.2 First Normal Form (1NF)

A relation is in the *first normal form (1NF)* if every attribute value in the relation is atomic. By definition, a relation is already in the 1NF.

3.5.3 Second Normal Form (2NF)

A relation is in the second normal form (2NF) if it is in 1NF and no non-key attribute is partially dependent on any candidate key. An attribute A is partially dependent on a set of attribute X, if there exists an attribute B in X such that X - {B} \rightarrow A. Suppose you mistakenly put the course title as an attribute in the <u>Enrollment</u> relationship, as shown in Figure 3.23. This relationship would be translated as follows:

Enrollment(<u>ssn</u>, <u>courseId</u>, dateRegistered, grade, title)

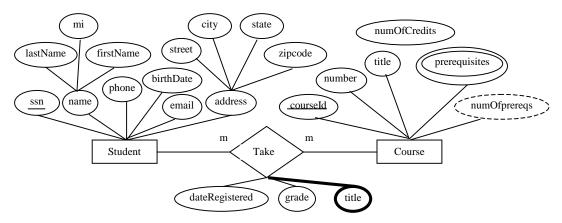


Figure 3.23

The <u>title</u> attribute is mistakenly set as an attribute for the Enrollment relationship.

The Enrollment table is not in 2NF, because the candidate key in the table is {ssn, courseId} and title is partially dependent on courseId. To normalize Enrollment into 2NF, you need to remove the non-key attributes that are dependent on the partial key from the relation and place them along with the partial keys in one or more separate tables. The Enrollment table can be decomposed as follows:

 $\begin{array}{l} {\tt Enrollment}(\underline{\tt ssn}, \ \underline{\tt courseId}, \ dateRegistered, \ grade) \\ {\tt T}(\underline{\tt courseId}, \ \underline{\tt title}) \end{array}$

Obviously, T should be combined into Course.

A decomposition is called *lossless* if no information is lost in the process. Specifically, assume a relation <u>R</u> is decomposed into relations <u>R1</u>, <u>R2</u>, ..., and <u>R_k</u>, the decomposition is lossless if and only if $r(\overline{R}) = r(R1) - r(R2)$... $r(R_k)$.

3.5.4 Third Normal Form (3NF)

A relation is in the *third normal form* (3NF) if it is in 2NF and no non-key attribute is *transitively dependent* on any candidate key. An attribute A is *transitively dependent* on a set of attribute X, if there is a set of attributes Z that is not a subset of any candidate key and $X \rightarrow Z$ and $Z \rightarrow A$. Z is called attribute A's non-key determinant.

For example, the <u>Student</u> relation is not in 3NF, because city and state are transitively dependent on the candidate key <u>ssn</u> since <u>ssn</u> \rightarrow <u>zipcode</u> and <u>zipcode</u> \rightarrow <u>city</u> <u>state</u>. To normalize <u>Student</u> into 3NF, you need to remove the non-key attributes that are transitively dependent on the candidate key from the relation and place them along with their determinants into a new relation. The <u>Student</u> table can be decomposed as follows:

Student(ssn, lastName, mi, firstName, phone, email, birthDate, Street, zipcode) Zipcode(zipcode, city, state)

3.5.5 Boyce-Codd Normal Form (BCNF)

A relation in 3NF may still face some redundancy problems. For example, suppose the <u>StoreAddress</u> relation has the attributes <u>street</u>, <u>city</u>, <u>state</u>, <u>zipCode</u>, and <u>store</u> with the functional dependencies <u>zipCode</u> \rightarrow <u>city</u>, <u>state</u>, and <u>street</u>, <u>city</u>, <u>state</u> \rightarrow <u>zipCode</u>. <u>StoreAddress</u> is in 3NF because {<u>store</u>, <u>zipCode</u>, <u>street</u>} and {<u>store</u>, <u>street</u>, <u>city</u>, <u>state</u>} are the candidate keys and every attribute in <u>StoreAddress</u> is a key attribute. As shown in Figure 3.24, <u>city</u> and <u>state</u> information are redundantly stored for the same <u>zipCode</u>. As a consequence, the <u>StoreAddress</u> relation suffers the insertion, deletion, and update problems.

StoreAddress Table

city	state	zipCode	store
Atlanta	GA	31435	Kroger
Savannah	GA	31411	Kroger
Savannah	GA	31419	Kroger
Fort Wayne	IN	46825	Scott
Savannah	GA	31411	Scott
Savannah	GA	31411	Scott
Atlanta	GA	31435	Publix
Savannah	GA	31411	Publix
	Savannah Savannah Fort Wayne Savannah Savannah Atlanta	Savannah GA Savannah GA Fort Wayne IN Savannah GA Savannah GA Atlanta GA	SavannahGA31411SavannahGA31419Fort WayneIN46825SavannahGA31411SavannahGA31411AtlantaGA31435

Figure 3.24

<u>StoreAddress</u> is in 3NF, but it still suffers redundancy problems.

BCNF was introduced to tackle this problem. A relation is in the *Boyce-Codd normal form (BCNF)* if the determinant of every non-trivial functional dependency is a candidate key.

The <u>StoreAddress</u> relation is not in BCNF, because <u>zipCode</u> is a determinant in the functional dependency <u>zipCode</u> \rightarrow <u>city</u>, state, but zipCode is not a candidate key. You can decompose it into two relations <u>Store(store</u>, street, <u>zipCode</u>) and <u>ZipCode(zipCode</u>, <u>city</u>, <u>state</u>).

NOTE: Normal forms are for measuring the quality of database design. Normalization is a guideline, not a mandate. Normalization reduces redundancy, but it slows down the performance because you have to perform natural join to obtain information that is now in two or more tables. Suppose your application needs to print student mailing address frequently. If city and state are in the <u>Zipcode</u> table, you have to frequently perform the natural join operations to obtain student name and address from the <u>Student</u> table and the <u>Zipcode</u> table. To improve the performance, you may combine the <u>Zipcode</u> table into the <u>Student</u> table.

NOTE: Normalization has been thoroughly studied in the literature. Many other normal forms were proposed. These forms have theoretical interests. However, 1NF, 2NF, 3NF, and BCNF are the ones used in practice. There are many interesting topics that could be covered in a database text. The focus of this book is on practical aspects of the database systems, not to survey normalization theory.

3.5.6 Normalization Examples

Let us now apply the normalization theory in the following examples:

Example 3.1: Suppose relation <u>R</u> consists of the attributes $\frac{facultyAdvisor}{facultyAdvisor}$, $\frac{rank}{rank}$, $\frac{status}{studentAdvisee}$, and $\frac{since}{status}$. Figure 3.25 shows an instance of the relation.

facultyAdvisor	rank	status	studentAdvisee	since
Baker	Asst Prof	10	John	1-AUG-2002
Baker	Asst Prof	10	Jim	1-JAN-2001
Baker	Asst Prof	10	George	1-AUG-2001
Smith	Professor	30	Kim	1-AUG-2001
Smith	Professor	30	Katie	1-AUG-2001
Smith	Professor	30	Kathy	1-AUG-2002
Jones	Professor	30	Peter	1-AUG-2001

Figure 3.25

An instance of the relation with attributes faculty, rank, status, studentAdvisee, and since.

The semantic meaning of this relation is as follows:

- Each faculty has a unique rank;
- A faculty's status is determined by the rank;
- The attribute <u>since</u> records the date when a student is assigned to a faculty advisor.

You can derive the following functional dependencies from the semantic meaning:

facultyAdvisor → rank
rank → status
facultyAdvisor, studentAdvisee → since

The candidate key is <u>facultyAdvisor</u> and <u>studentAdvisee</u>. Since <u>rank</u> is a non-key attribute that is <u>partially</u> dependent on the key, this relation is not in 2NF. It can be decomposed into <u>R1(facultyAdvisor, rank, status)</u> and R2(facultyAdvisor, studentAdvisee, since).

<u>facultyAdvisor</u> is now the key in the relation <u>R1</u>. <u>R1</u> is not in 3NF, because <u>status</u> (a non-key attribute) is transitively dependent on <u>facultyAdvisor</u>. So, <u>R1</u> can be further decomposed into <u>R11(facultyAdvisor, rank)</u> and <u>R12(rank,</u> status).

Example 3.2: Suppose relation <u>R</u> consists of the attributes student, course, teacher, and office. Figure 3.26 shows an instance of the relation.

student	course	teacher	office
Kevin	Intro to Java I	Baker	UH101
Ben	Intro to Java I	Baker	UH101
Kevin	Intro to Java I	Baker	UH101
Chris	Intro to Java I	Baker	UH101
Cathy	Intro to Java I	Liang	SC112
George	Intro to Java I	Liang	SC112
Cindy	Intro to Java I	Liang	SC112
Greg	Database	Smith	SC113

Figure 3.26

An instance of the relation with attributes student, course, teacher, and office.

The semantic meaning of this relation is as follows:

- A student takes a course taught by a teacher;
- A teacher teaches only one course;
- A teacher has an office.

You can derive the following functional dependencies from the semantic meaning:

student, course \rightarrow teacher teacher \rightarrow course teacher \rightarrow office

The candidate keys are {<u>student</u>, <u>course</u>} and {<u>student</u>, <u>teacher</u>}. Since <u>office</u> (a non-key attribute) is partially dependent on the candidate key {<u>student</u>, <u>teacher</u>}, this relation is not in 2NF. The relation can be decomposed into <u>R1(student</u>, <u>course</u>, <u>teacher</u>) and <u>R2(teacher</u>, <u>office</u>). The functional dependencies in R1 are

student, course \rightarrow teacher teacher \rightarrow course

<u>R1</u> is not in BCNF because <u>teacher</u> is a determinant, but it is not a candidate key. Should <u>R1</u> be further decomposed? It is not a good to decompose it, because the semantic meaning <u>student</u>, <u>course</u> \rightarrow <u>teacher</u> would be lost if it is decomposed.

Example 3.3: Suppose a relation R=ABCD has the functional dependencies AB \rightarrow C and B \rightarrow D. What is the highest normal form of R? The candidate key in R is AB. Since D is partially dependent on the candidate key, R is not in 2NF. So, the highest normal for R is 1NF.

Example 3.4: Suppose a relation R=ABCDE has the functional dependencies A \rightarrow C, B \rightarrow D. What is the highest normal form of R? The candidate key in R is ABE. Since C is partially dependent on the candidate key, R is not in 2NF. So, the highest normal for R is 1NF.

Example 3.5: Suppose a relation R=ABC has the functional dependencies A \rightarrow B, B \rightarrow C. What is the highest normal form of R? The candidate key in R is A. Since C is transitively dependent on the candidate key, R is not in 3NF. So, the highest normal for R is 2NF.

Chapter Summary

This chapter introduced database design. You learned to use the ER diagrams to model database and use the normal forms to improve the database design. The ER diagrams model the database by discovering the entities and analyzing their relationships. The ER diagrams provide a high-level description of the database. You learned how to translate ER diagrams into tables. You also learned the functional dependencies and the normal forms (1NF, 2NF, 3NF, BCNF) and improve the relation schemas through normalization.

Review Questions

3.1 What is an entity, an entity set, and an entity class.

3.2 What are attributes, derived attributes, multivalued attributes, composite attributes, and key attributes?

3.3 What is a relationship, a relationship set, and a relationship class?

3.4 What is cardinality of a relationship? What is a one-tomany relationship, one-to-one relationship, and many-to-one relationship?

3.5 What is a total relationship? What is a partial relationship?

3.6 What is a weak entity class? What is an identifying relationship?

3.7 What is a ternary relationship?

3.8 Describe the graphical notations for entities, weak entities, relationships, identifying relationships, attributes, key attributes, derived attributes, composite attributes, and multivalued attributes?

3.9 How do you translate an ER diagram to tables?

3.10 Justify the guidelines for translating one-to-may and one-to-one relationships into tables.

3.11 Give an example of an inheritance relationship. How do you translate an inheritance relationship into tables?

3.12 Give an example of an overlapping relationship. How do you translate an overlapping relationship into tables?

3.13 What is normalization?

3.16 What is a functional dependency?

3.17 What is the first normal form, the second normal form, the third normal form, and BCNF?

Exercises

3.1 Translate the ER diagram in Figure 3.27 into relational schemas.

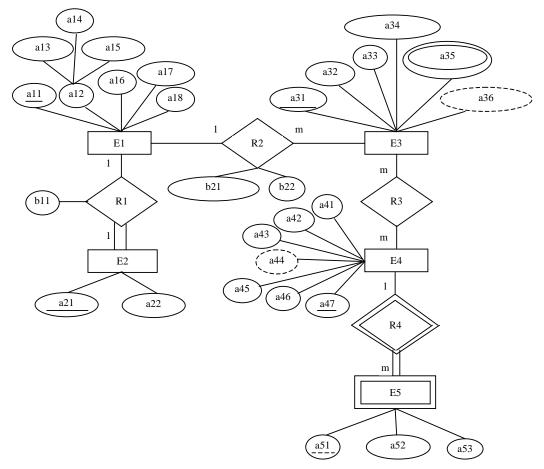


Figure 3.27

You can translate an ER diagram into tables.

3.2 Translate the EER diagram in Figure 3.28 into relational schemas.

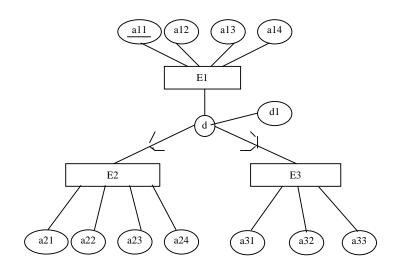


Figure 3.28

You can translate an EER diagram into tables.

3.3 Design a database for a publishing company. A publishing company has the following entity types: <u>Employee</u>, Department, Author, Editor, and Book.

<u>Employee</u> has the attributes: <u>ssn</u> (primary key), <u>name</u> (a composite attribute consisting of <u>firstName</u>, <u>mi</u>, and <u>lastName</u>), <u>address</u> (a composite attribute consisting of <u>street</u>, <u>city</u>, <u>state</u>, and <u>zipCode</u>), <u>office</u>, and <u>phone</u>. <u>Department</u> has the attributes: <u>deptId</u> (primary key), <u>name</u>, and <u>headed</u>. <u>Author</u> has the attributes: <u>ssn</u> (primary key), <u>name</u> (a composite attribute consisting of <u>firstName</u>, <u>mi</u>, and <u>lastName</u>), <u>address</u> (a composite attribute consisting of <u>street</u>, <u>city</u>, <u>state</u>, and <u>zipCode</u>), and <u>phone</u>. <u>Editor</u> is a subclass of <u>Employee</u> with an attribute specialty that denotes the type of the book (CS, MATH, BUSS, etc.) An editor may have many specialties. <u>Book</u> has attributes: <u>isbn</u> (primary key), title, and <u>date</u>.

The relationship types are <u>WorksIn</u>, <u>Edits</u>, <u>Writes</u>, <u>Sales</u>, and <u>WorksOn</u>. <u>WorksIn</u> describes the relationship between an employee and a department and it has a time attribute to indicate when the employee started to work for the department. <u>Edits</u> describes the relationship between an editor and a book. An editor may edit many books and a book is edited by only one editor. <u>Writes</u> describes the relationship between an author and a book. An author may write several books and a book may be written jointly by several authors. <u>Sales</u> describes the relationship between an employee and a book and it has an attribute to denote the number of the copies sold by an employee. <u>WorksOn</u> describes that an employee works on a book. Draw the ER diagram for the publishing company database and translate the ER diagram into relational schema. 3.4 Prove the augmentation rule, decomposition rule and union rule. 3.5 Find all candidate keys in the following relations. a. R = ABCDEF AB -> C, C -> DE, F -> E b. R = ABCDEF AB -> D, D -> E, E -> F c. R = ABCDEF AB -> CD, C -> DE, E -> F 3.6 What are the highest normal forms (up to BCNF) of the following relations? a. R = ABCDEF AB -> C, C -> DE, F -> E b. R = ABCDEF AB -> C, C -> DE, F -> E c. R = ABCDEF AB -> C, C -> DE, F -> E c. R = ABCDEF AB -> C, C -> DE, F -> E c. R = ABCDEF AB -> C, C -> DE, F -> E c. R = ABCDEF AB -> C, C -> DE, F -> E c. R = ABCDEF AB -> C, C -> DE, E -> F